PANDA tracking performance

test of tracking code as a preparation of forward tracking campaign

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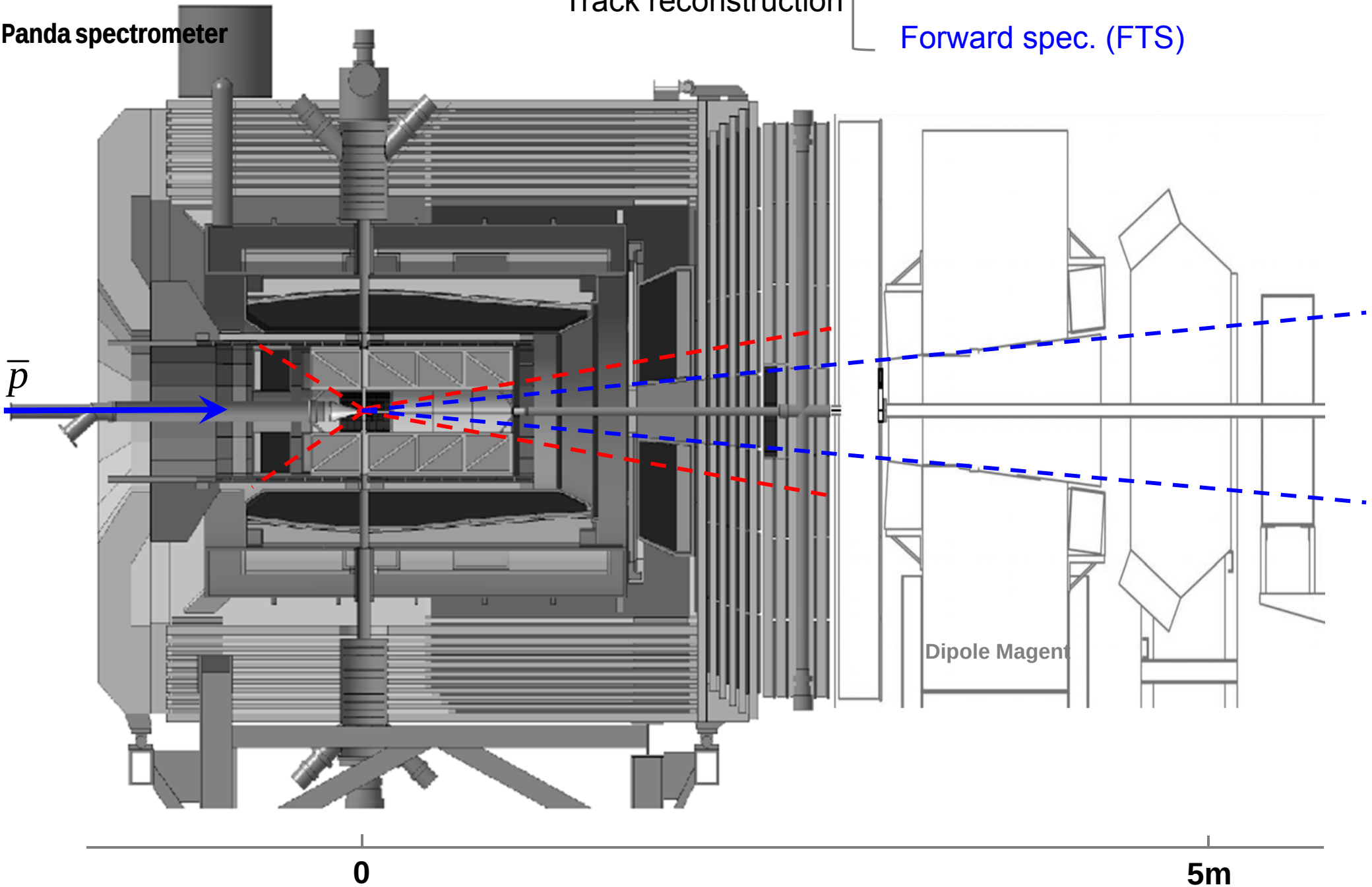
Tracking @ PANDA

Track reconstruction

Target spec. (MVD+STT+GEM)

Forward spec. (FTS)

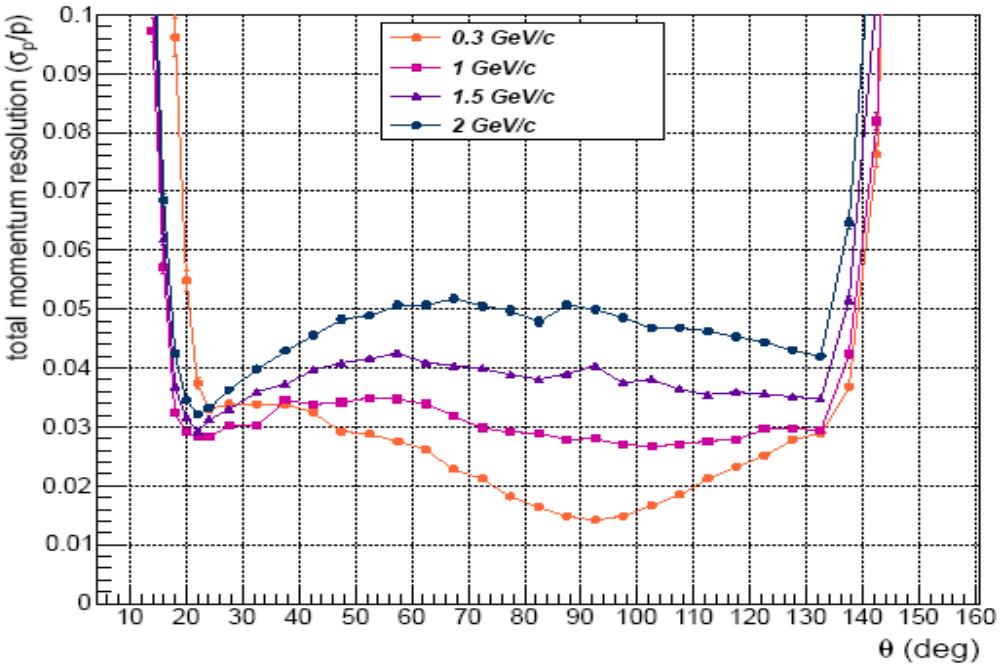


Tracking performance

Tracking campaign for target spectrometer in sep. 2011

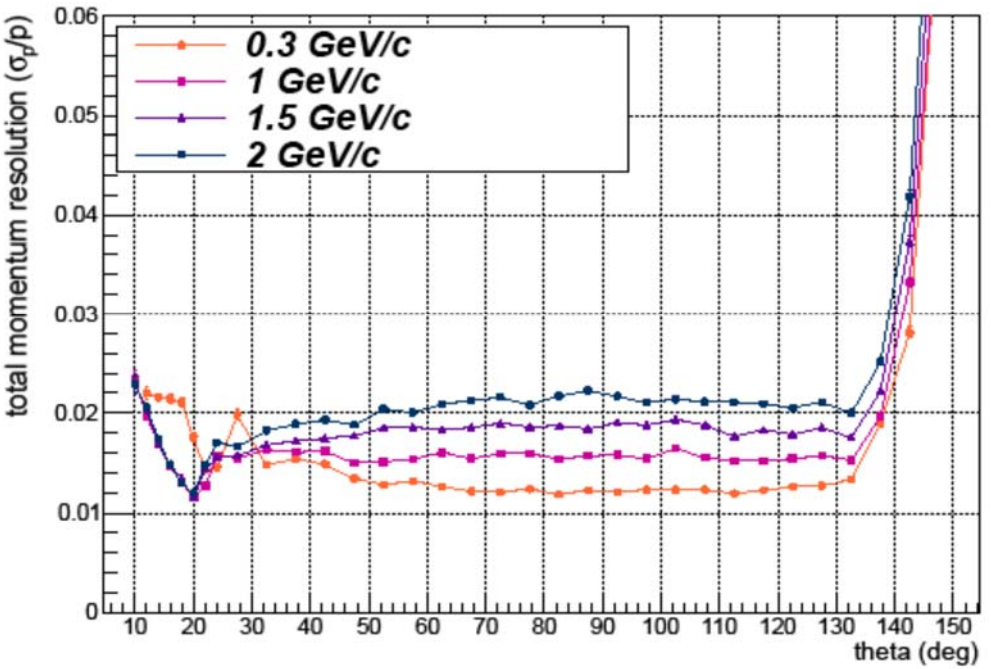
momentum resolution for μ @ barrel

STT standalone



$\varepsilon \sim 2-5\%$

STT + MVD + GEM

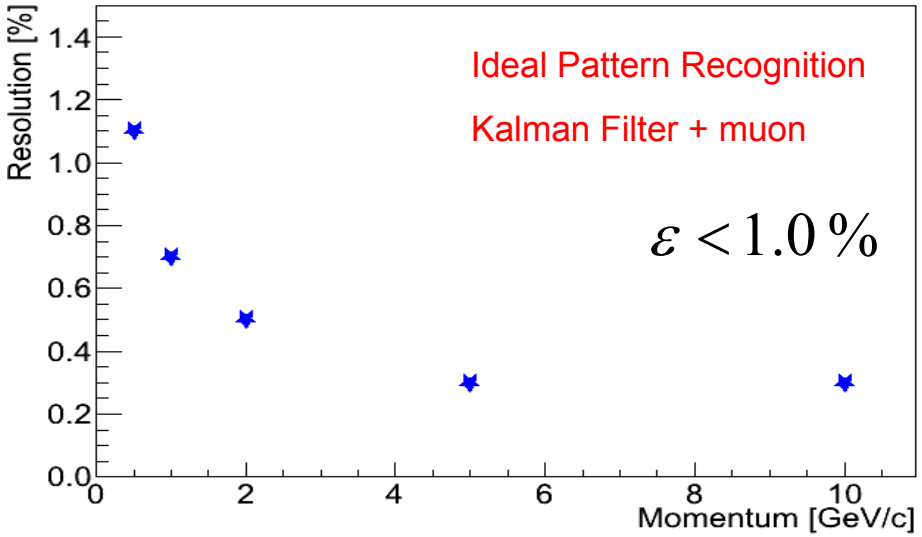


$\varepsilon \sim 1-2\%$

but never shown for other particles and for θ resolution(difference)

Tracking performance

- Momentum resolution for μ @ forward



- Study of reconstruction for combined two spectrometer

used PANDAroot version july12

reconstruction

SttMvdGemGenTrack

FtsIdealGenTrack

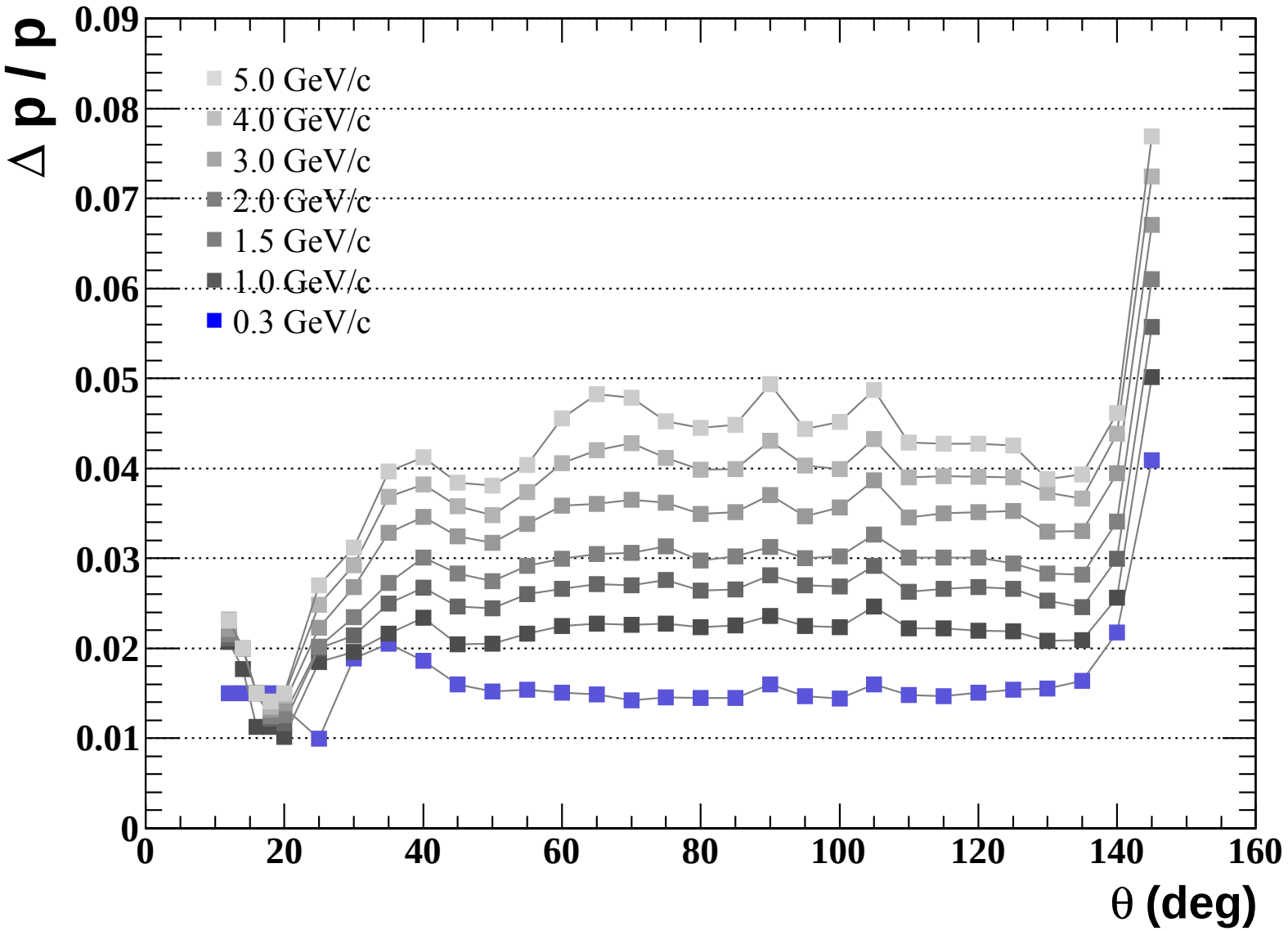
PidCorrelator

combined both tracks

Tracking performance

Study on the point-like single particle resolution

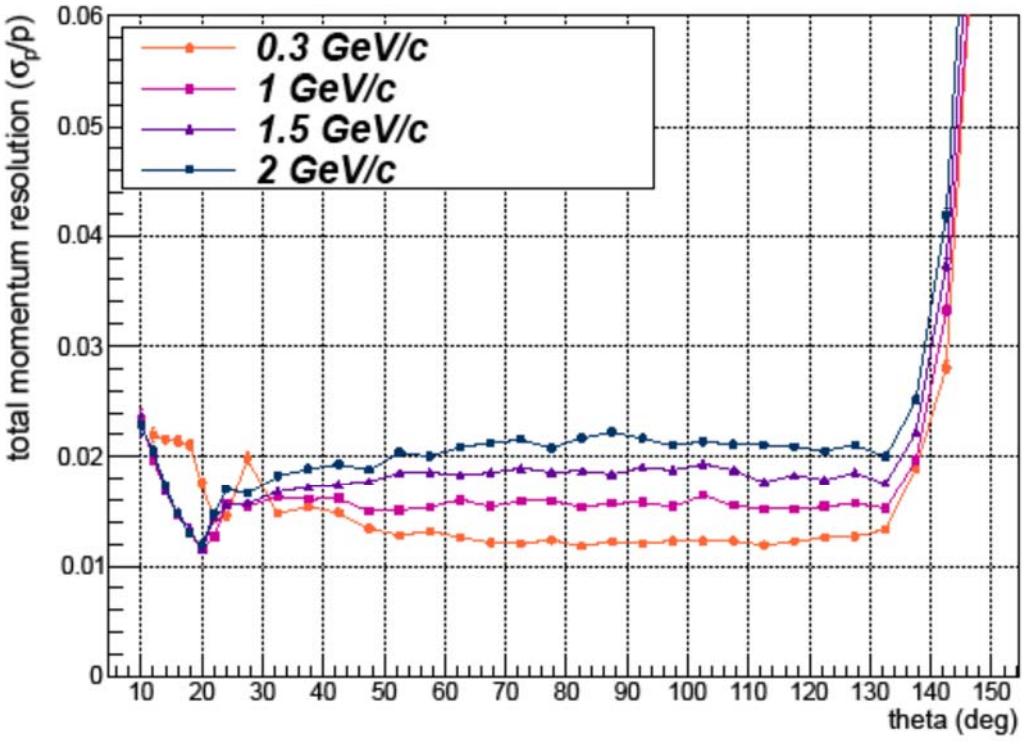
μ(muon) momentum resolution



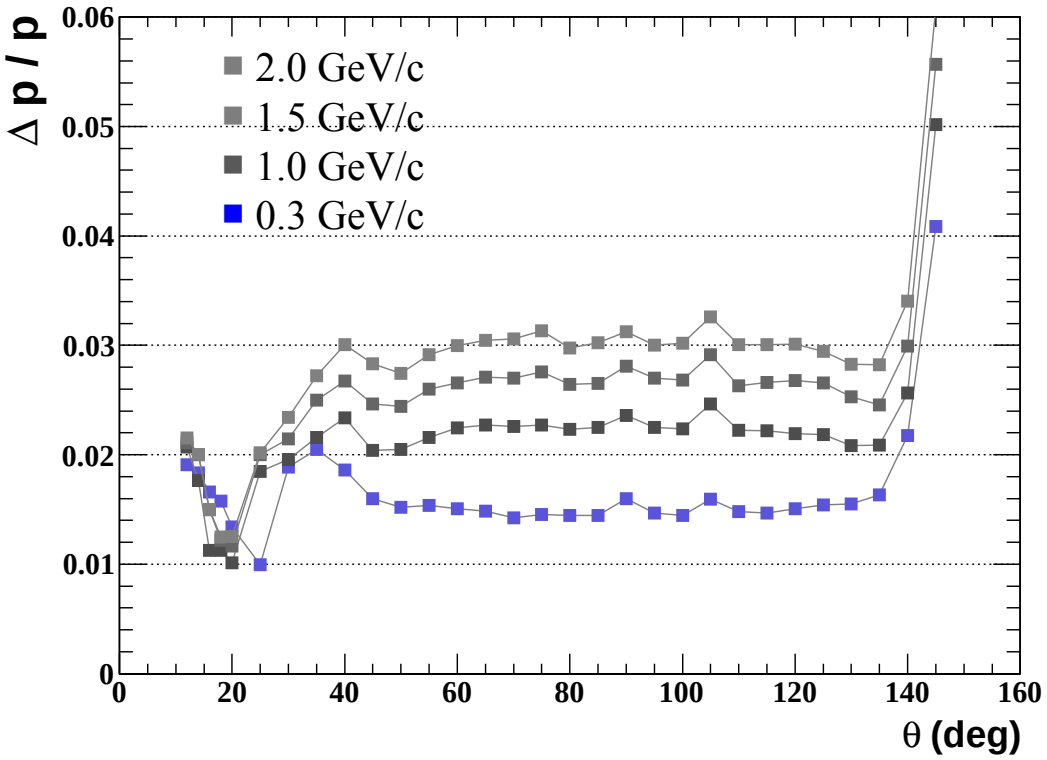
Tracking performance

Comparison of the momentum resolution for μ

STT + MVD + GEM



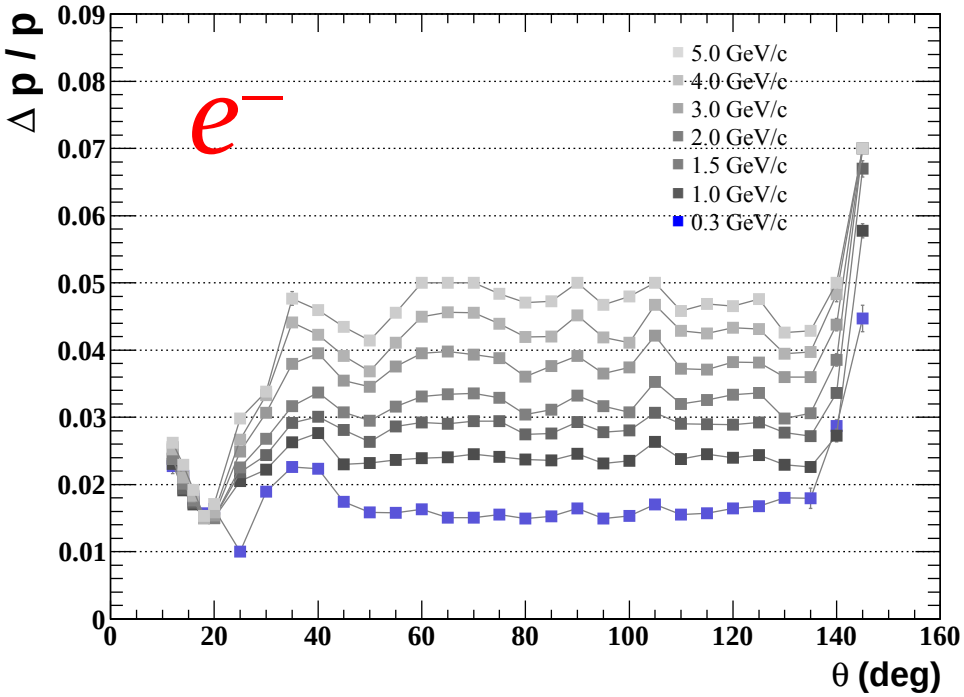
STT+MVD+GEM and FTS

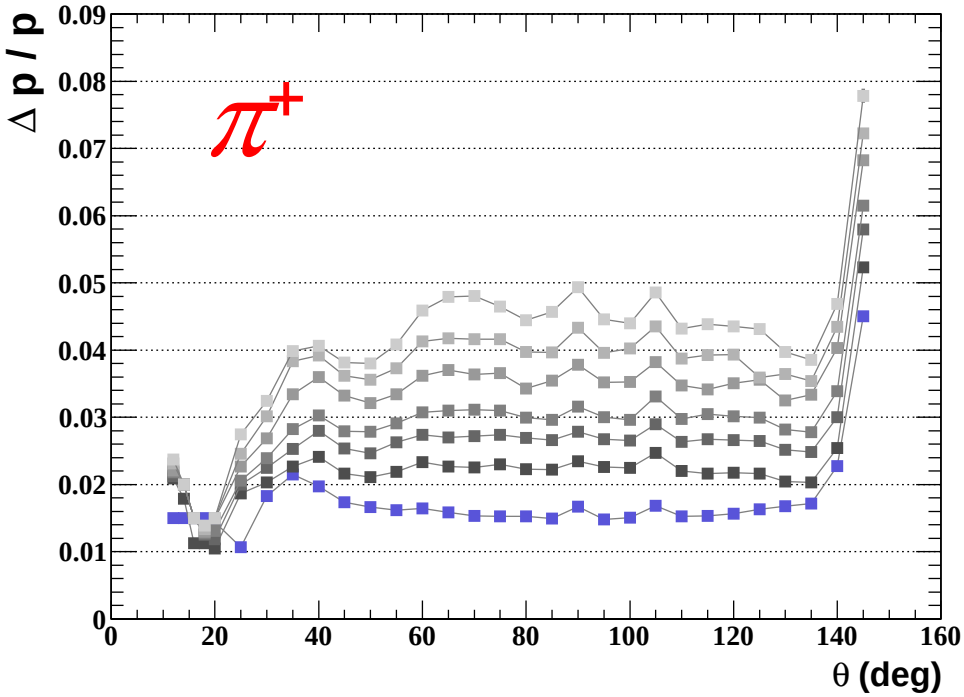


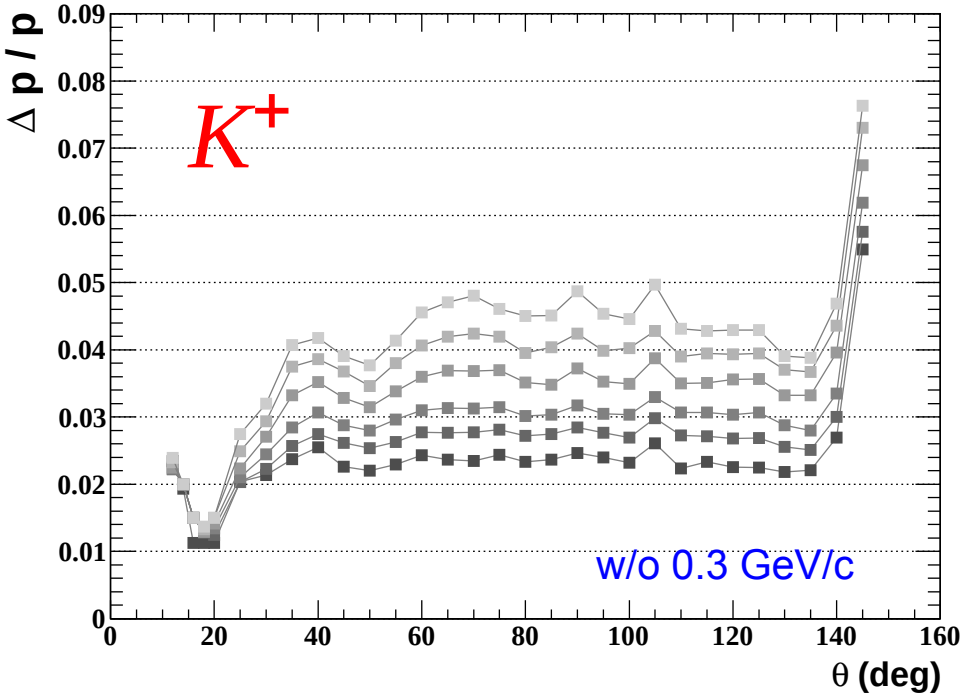
had been presented during the tracking campaign in sep. 2011

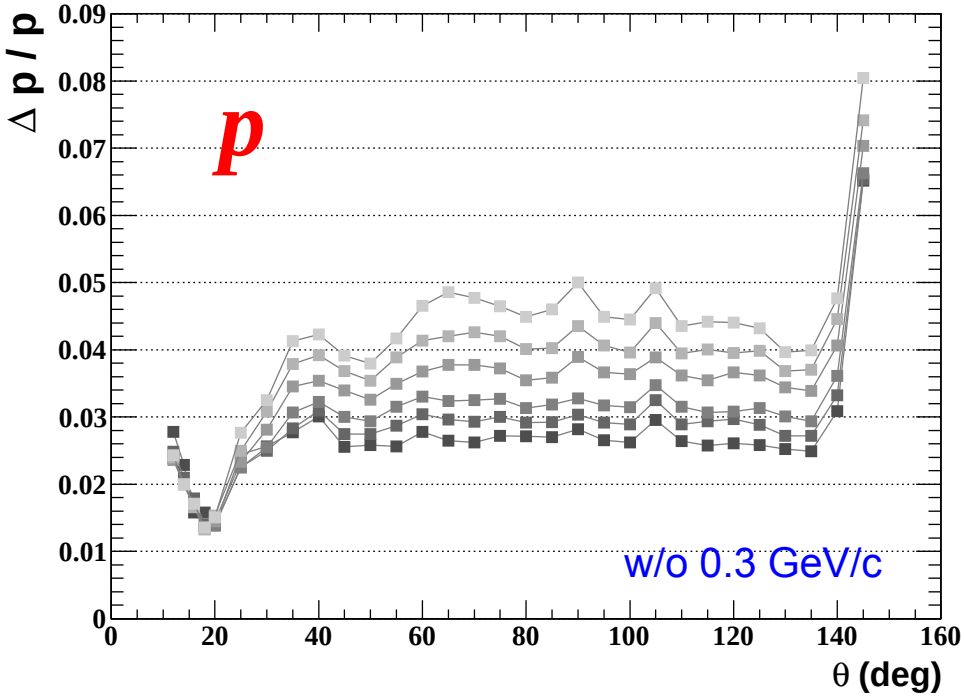
2 times worser than 2011 values

Momentum resolution









Momentum resolution of e^-

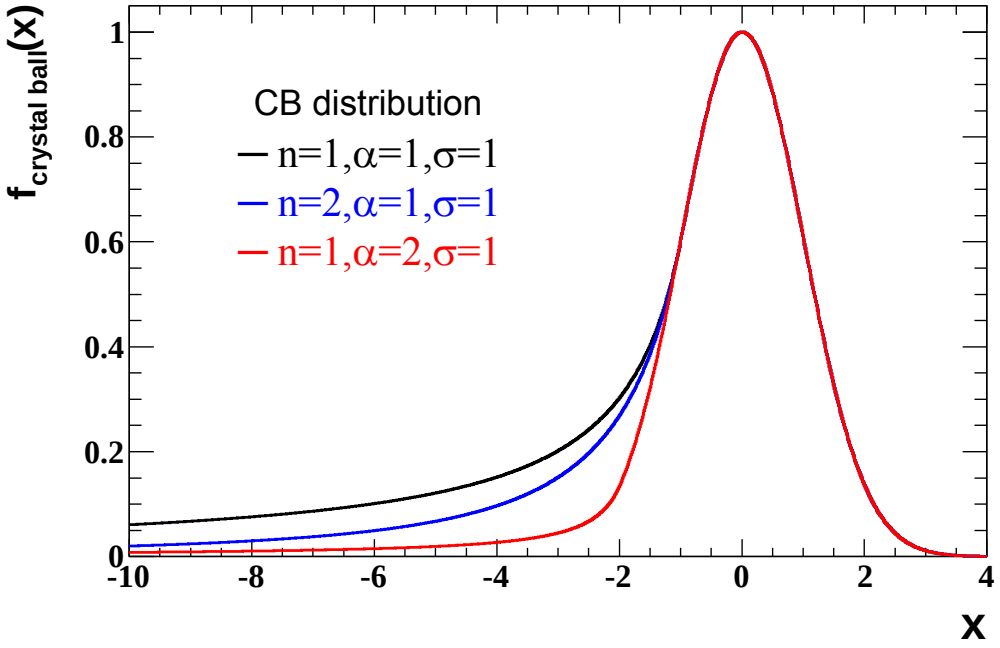
Crystal Ball function

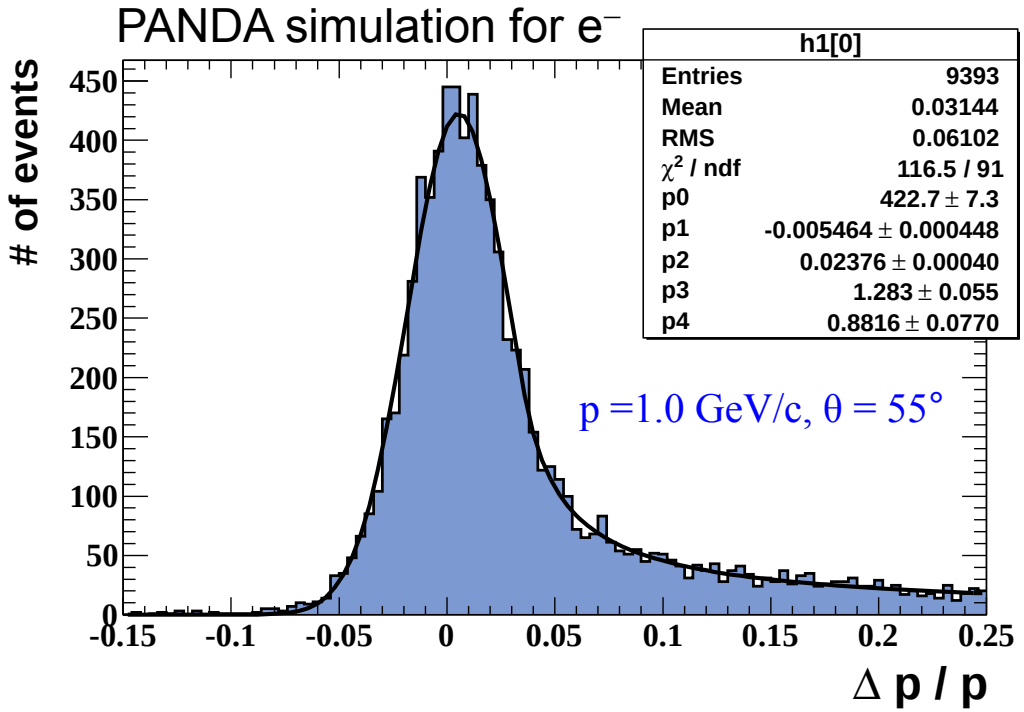
$$C(x) = \begin{cases} N \exp\left[-\dfrac{(x-x_0)^2}{2\sigma^2}\right] & \text{for } x > x_0 - \alpha\sigma \\ N \dfrac{(n/\alpha)^n e^{-\frac{\alpha^2}{2}}}{[(x_0 - x)/\sigma + n/\alpha - \alpha]^n} & \text{for } x \le x_0 - \alpha\sigma \end{cases}$$

N – normalization factor
x_0 – peak position
σ – gaussian width
α – joint parameter
n – exponent of power law

commonly used parameterizations of the energy loss distribution (e.g. ECAL)

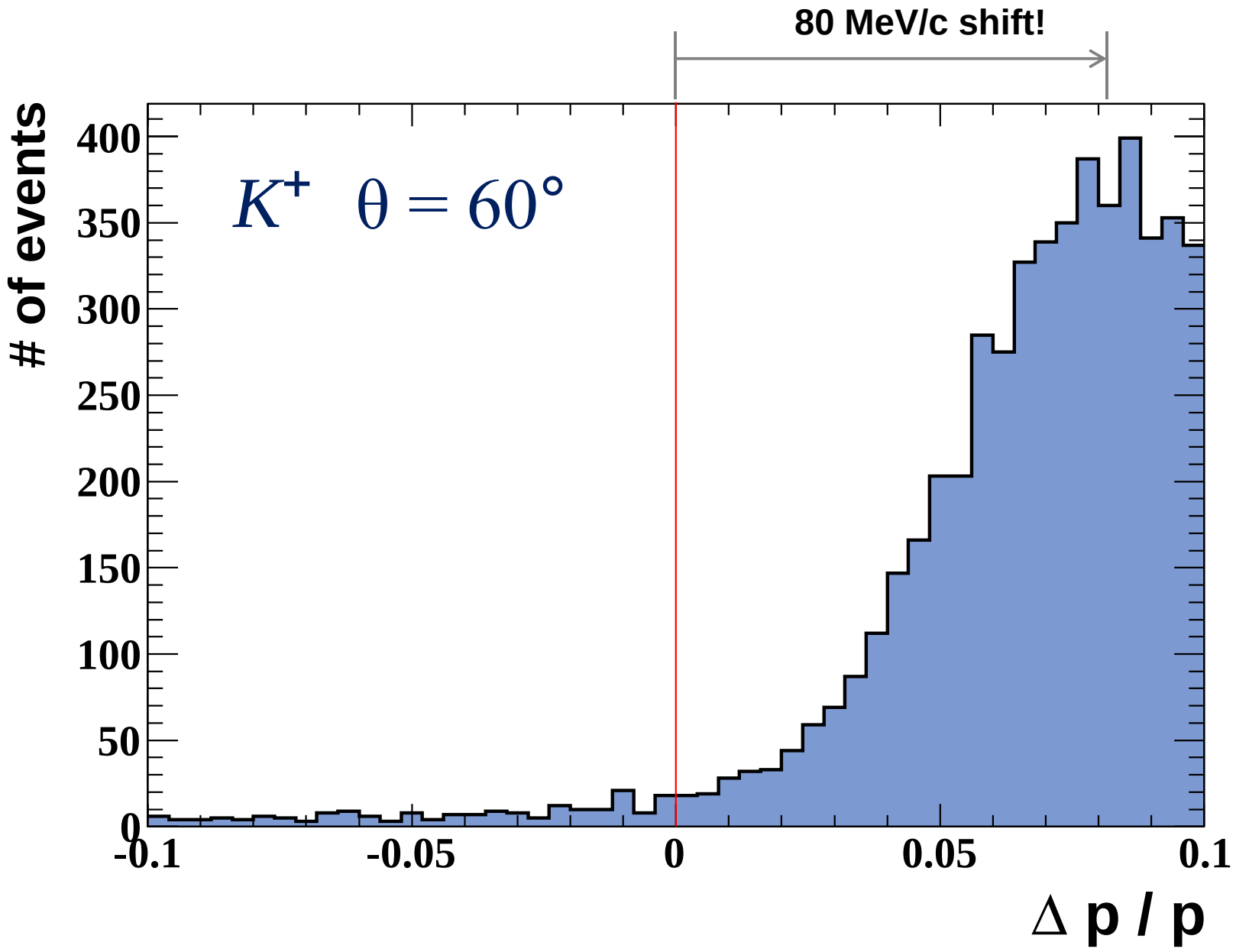
or use alternatively Novosibirsk function





Momentum resolution

Reconstruction of 0.3 GeV/c (low momentum track) for kaon and proton
Mom. shift due to the fact of muon mass hypothesis in the tracking code

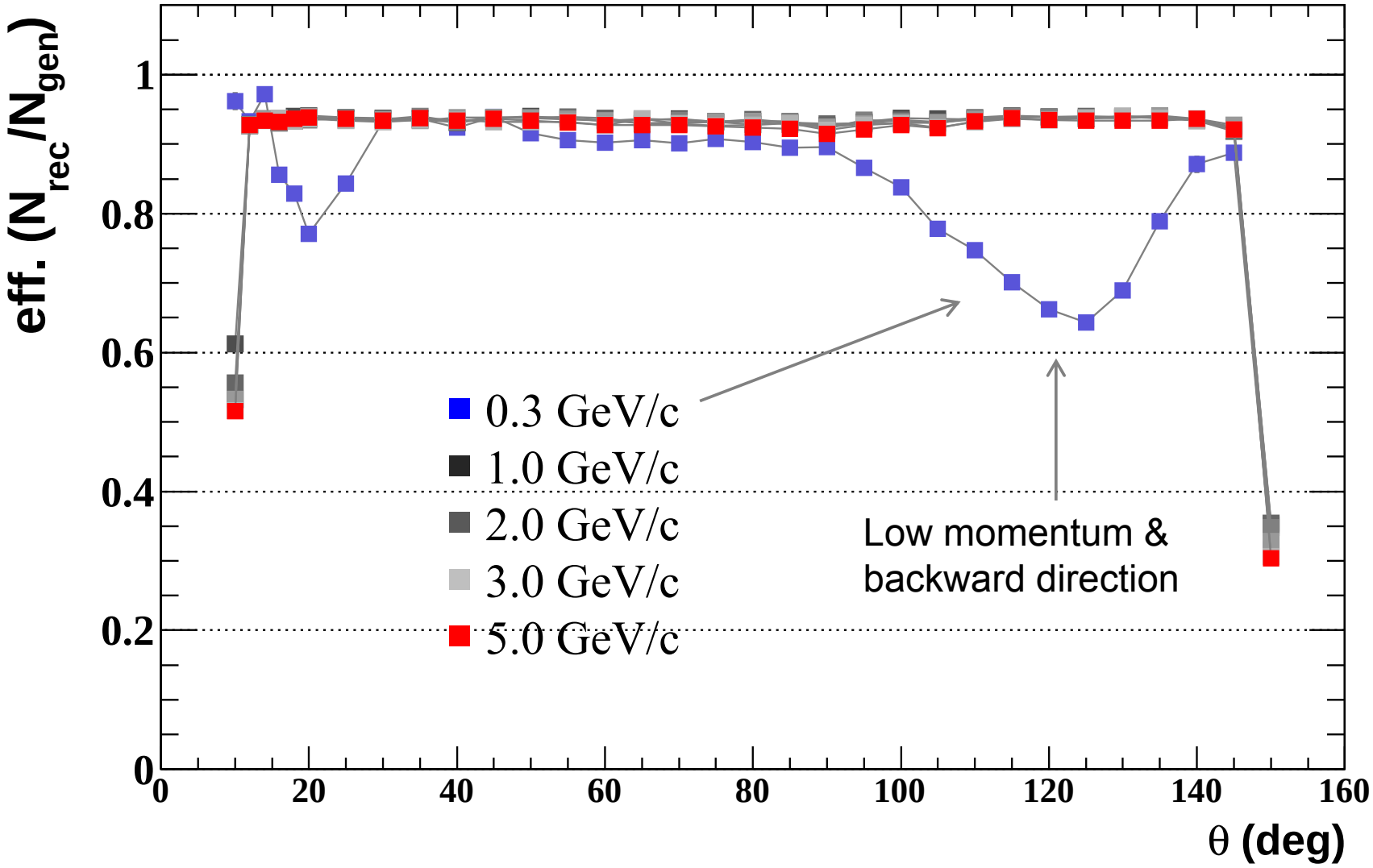


Reconstruction efficiency

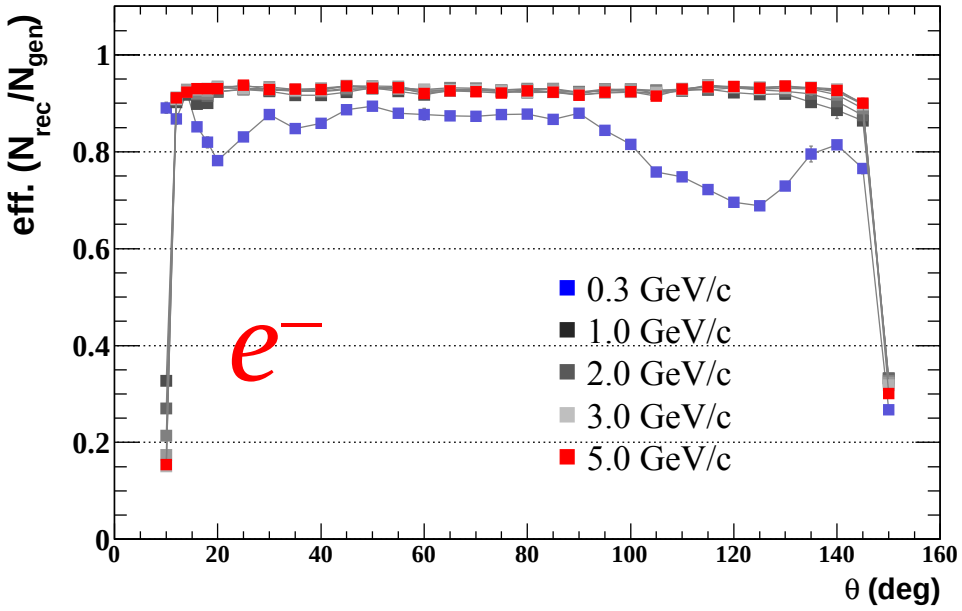
Reconstruction efficiency of μ

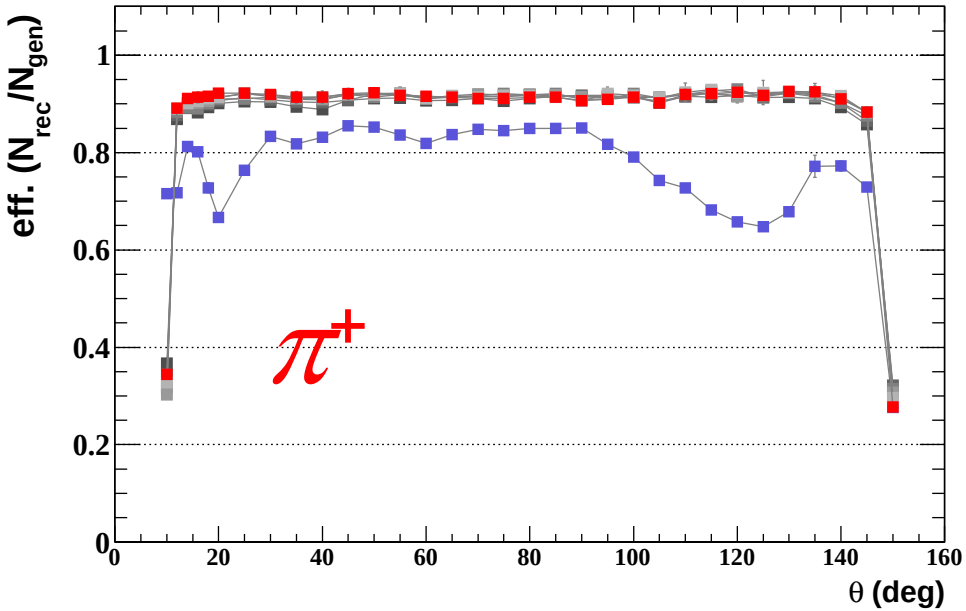
$$\varepsilon = \frac{N_{rec,MC}}{N_{gen,MC}}$$

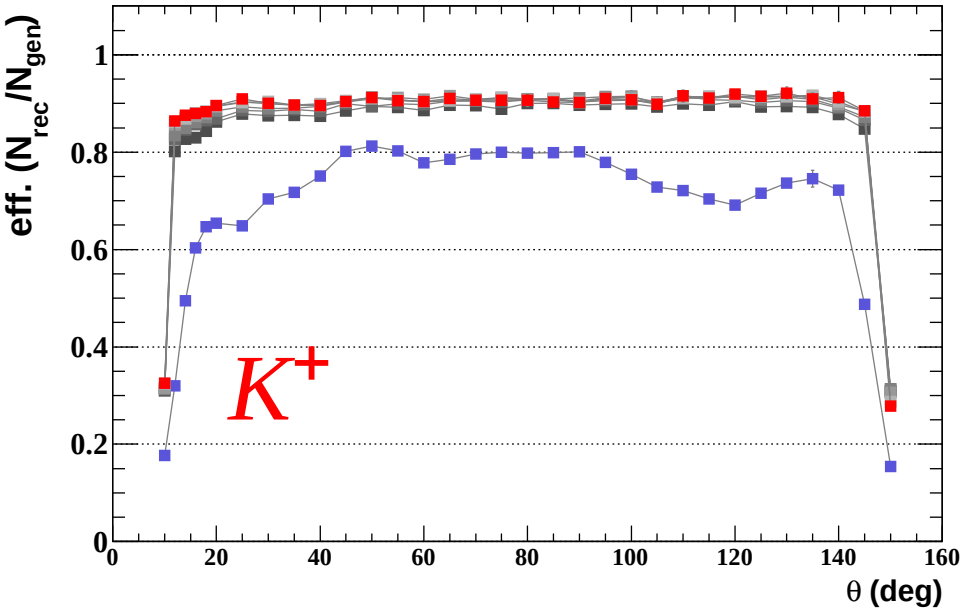
where, $N_{rec,MC}$ number of reconstruced of MC truth matched

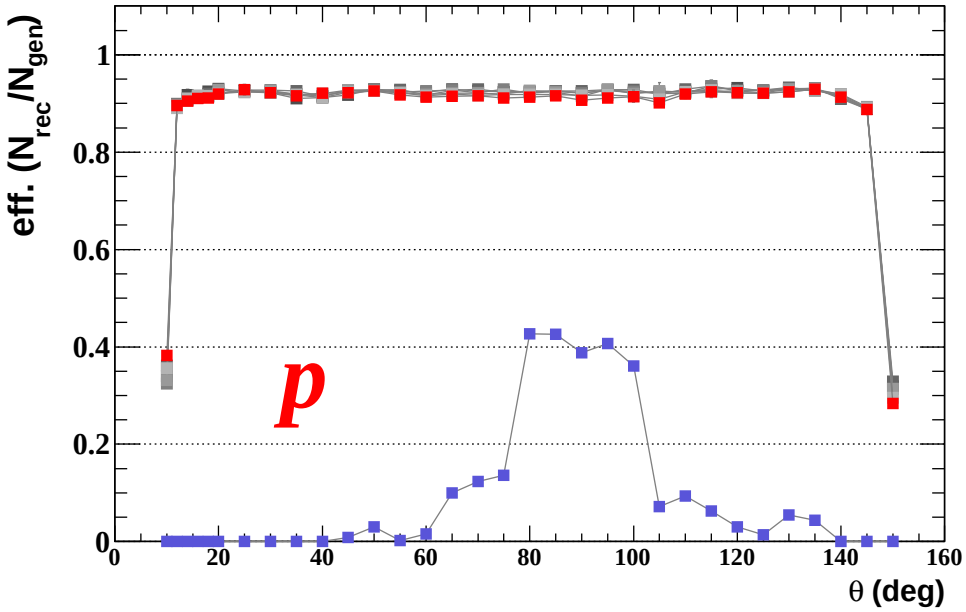


Reconstruction efficiency

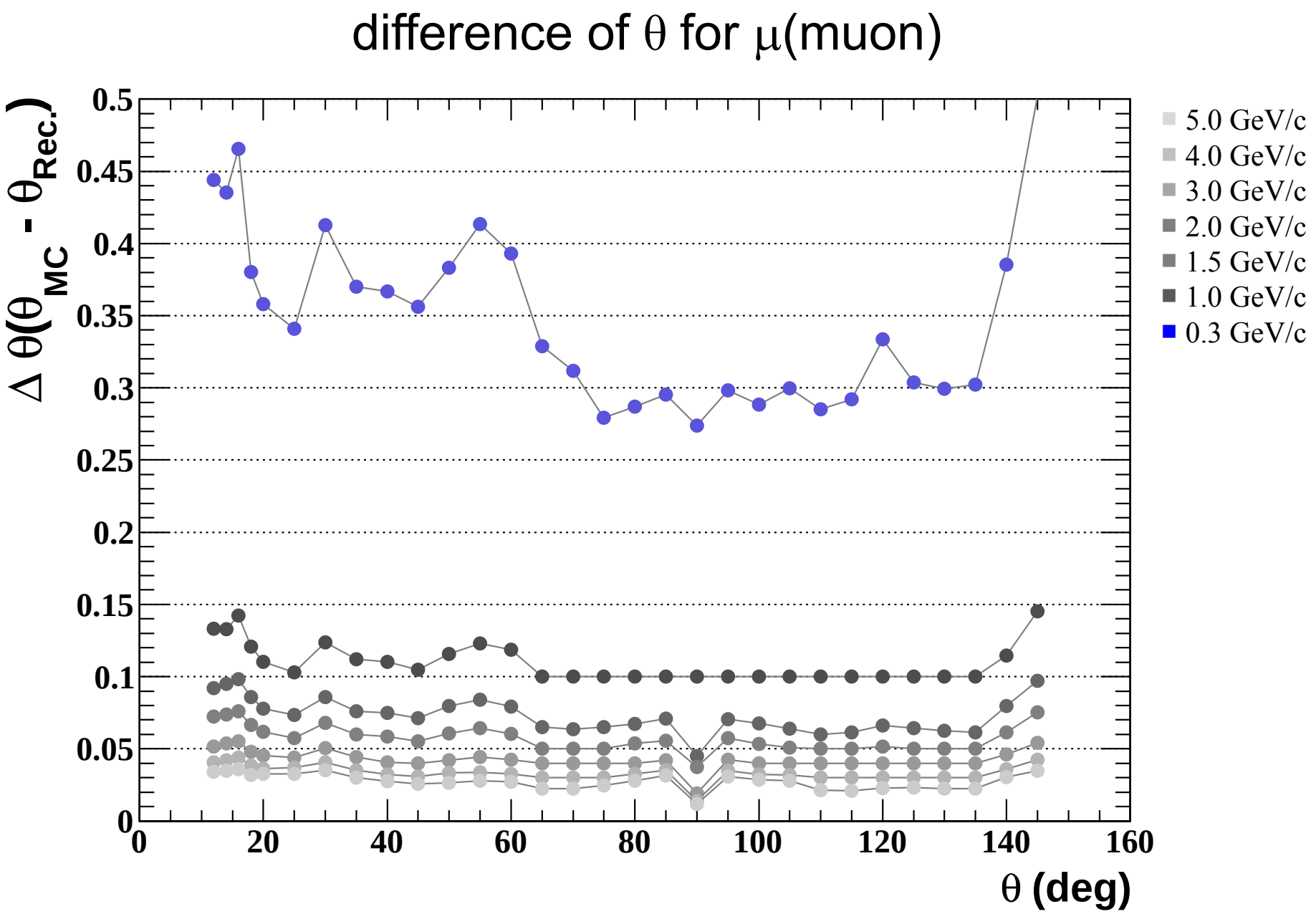




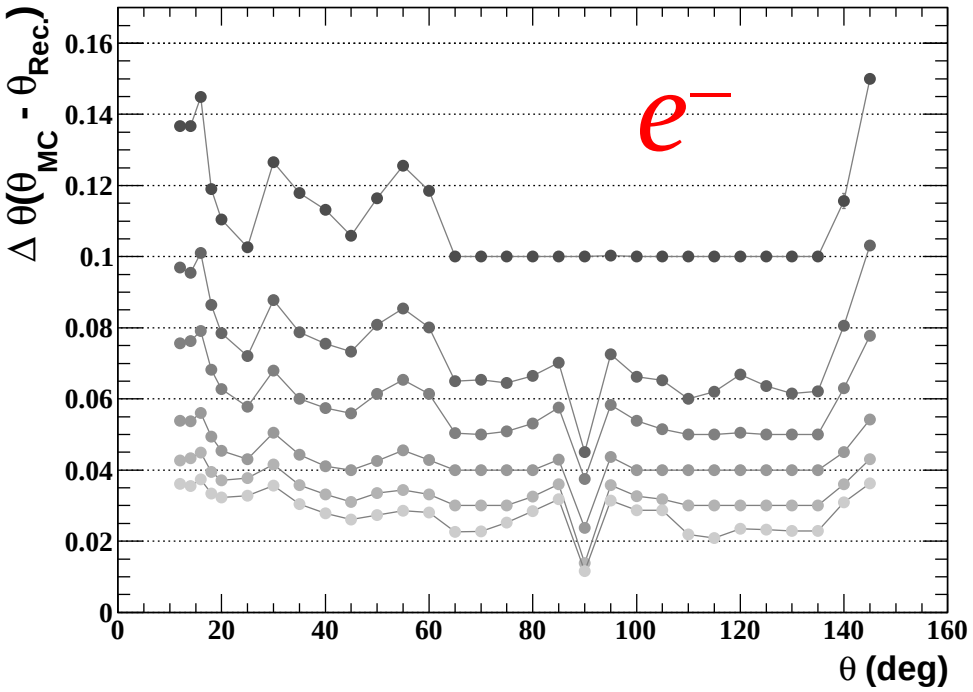


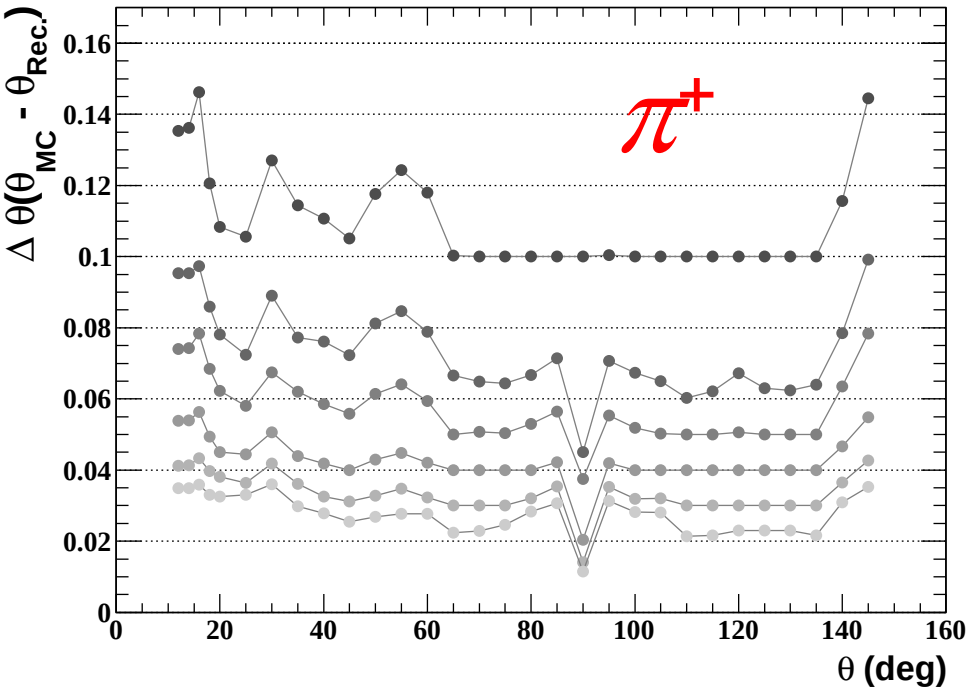


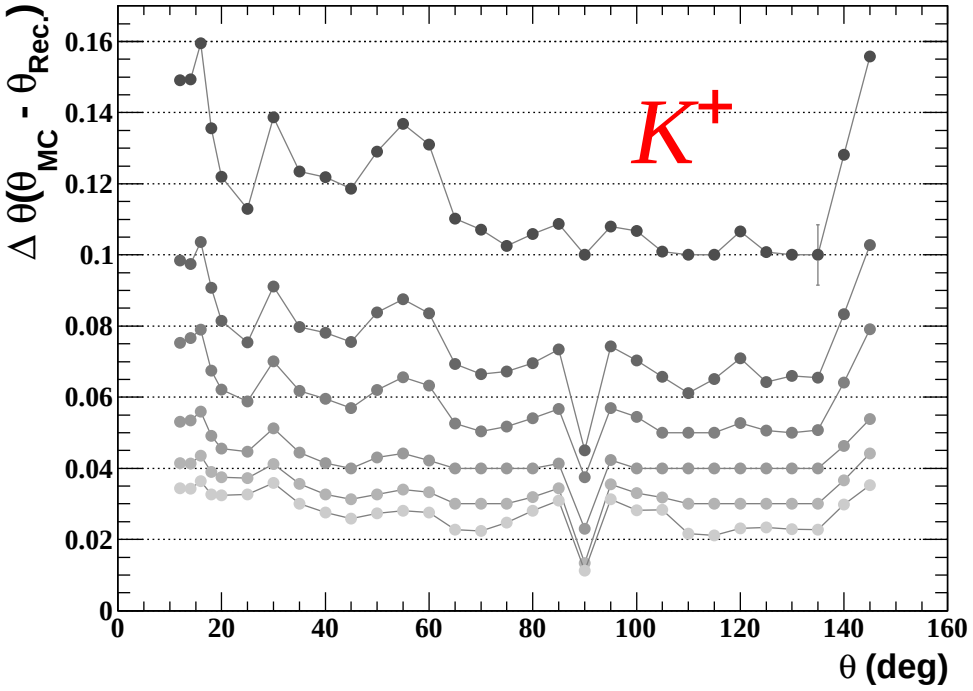
θ resolution

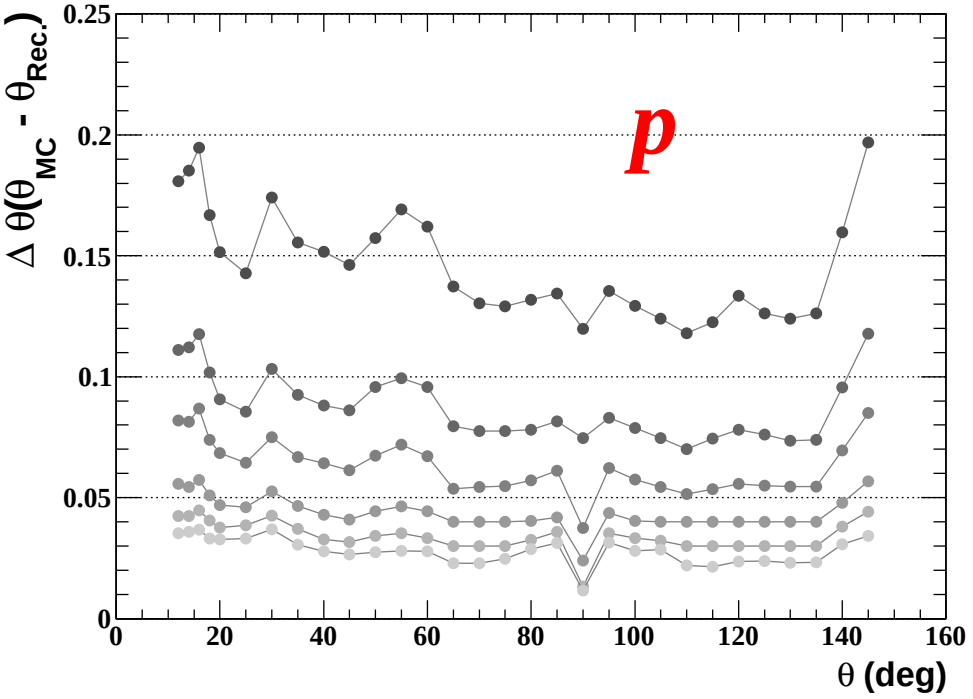


θ resolution





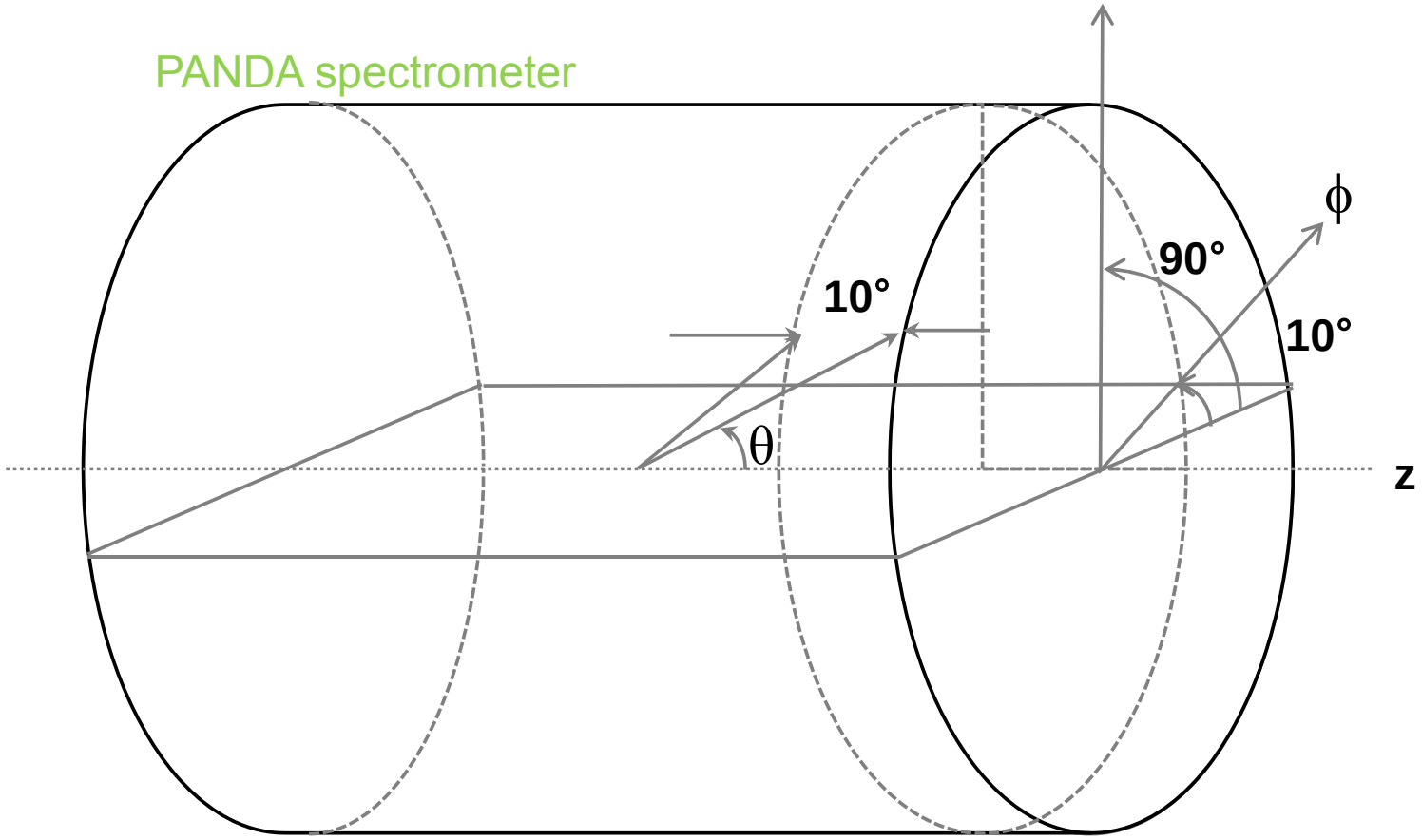




Impact of high multiplicity

Study on the reconstruction efficiency with the environment of high multiplicity

- contain 10 particles ($e^{\pm}$, $\mu^{\pm}$, $\pi^{\pm}$, $K^{\pm}$, $p^{\pm}$) in one event
- tracking simulation in the map of ϕ & θ



Efficiency as a funtion of θ & ϕ

momentum
p = 1.0 GeV/c

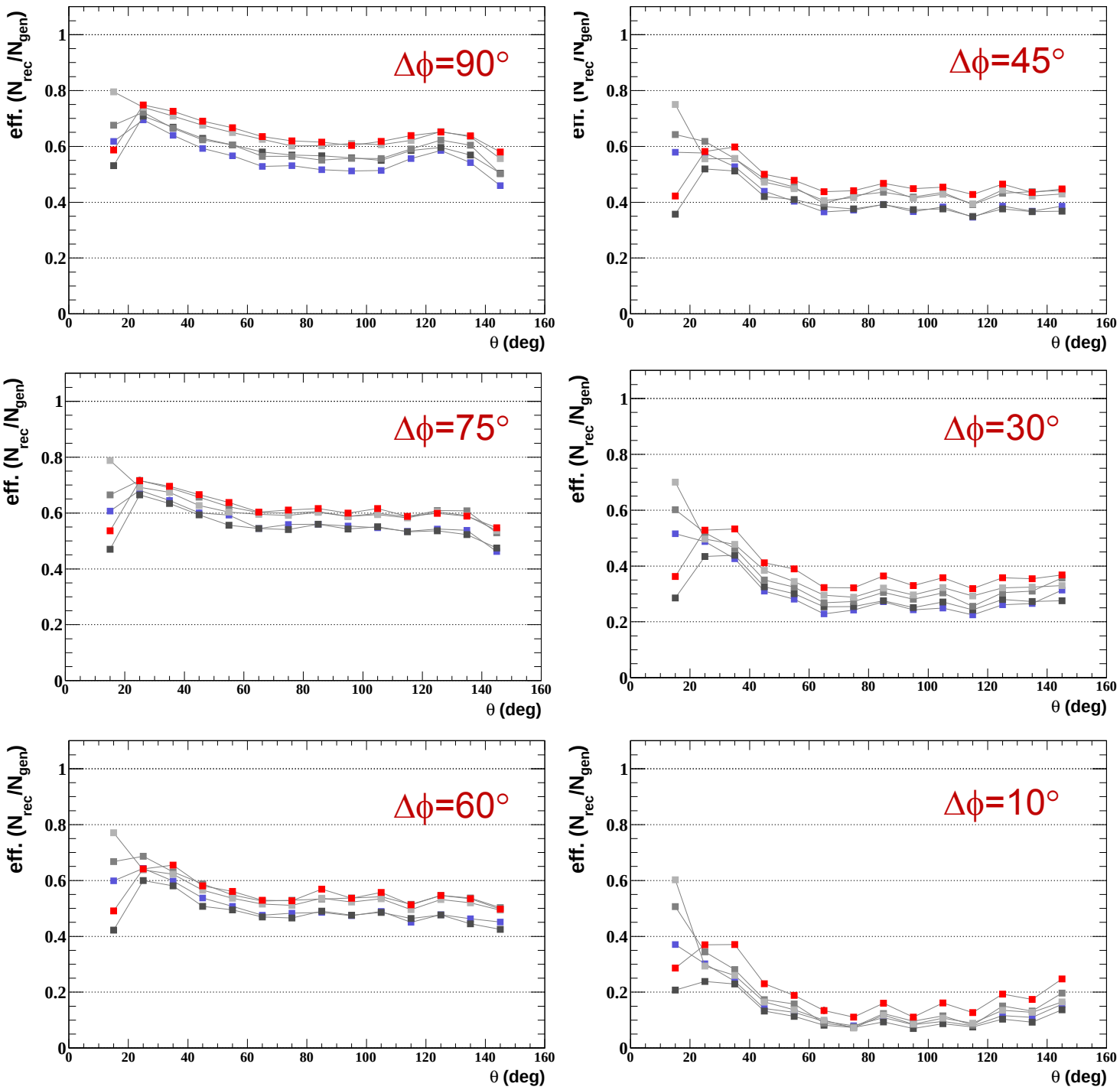
- electron
- muon
- pion
- kaon
- proton

Efficiency :

$$\varepsilon_{particle} = \frac{N_{rec.particle}}{N_{gen.MCevent}}$$

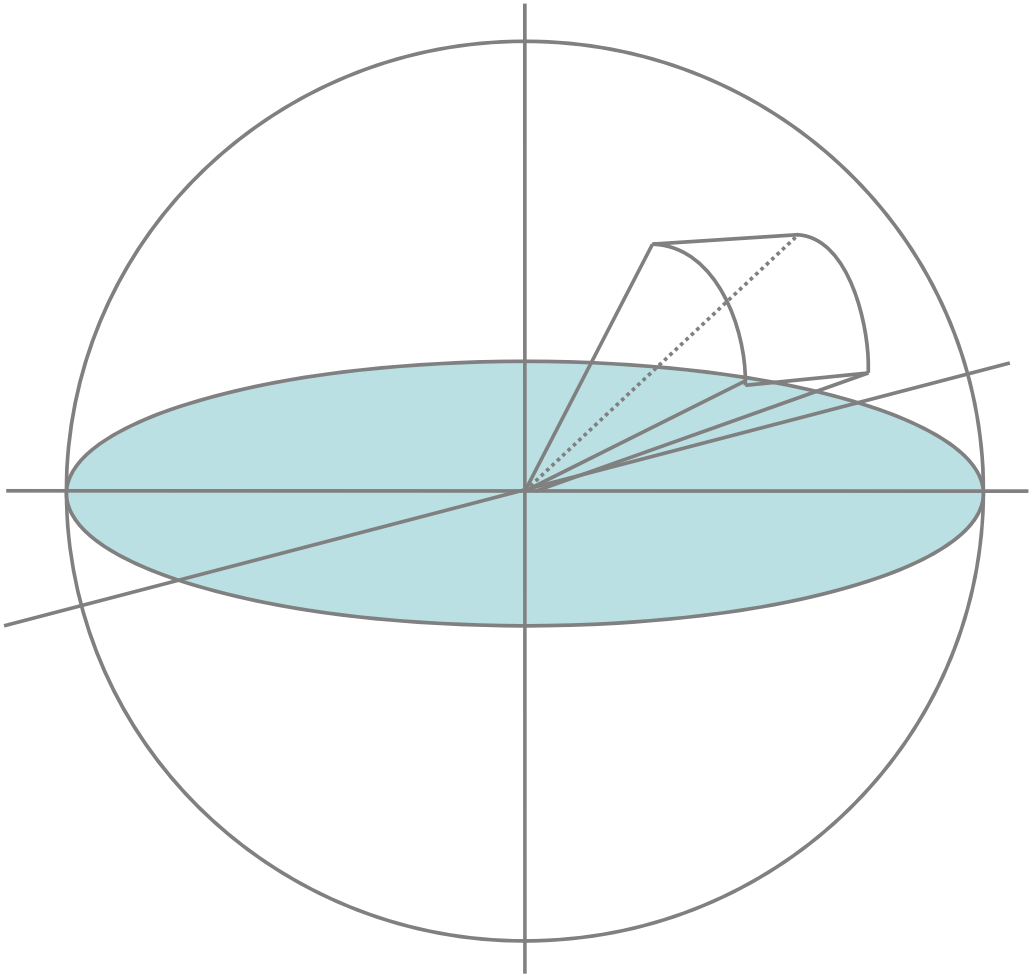
where, $N_{rec.particle}$ is number of reconstruced of MC truth matched

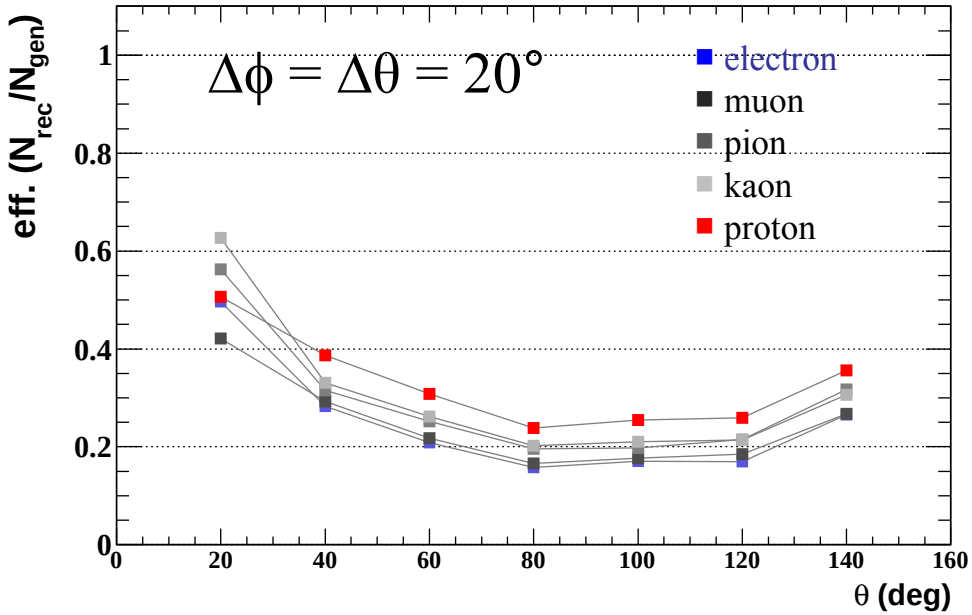
for single particle prod. efficiency ε ≥ 0.9

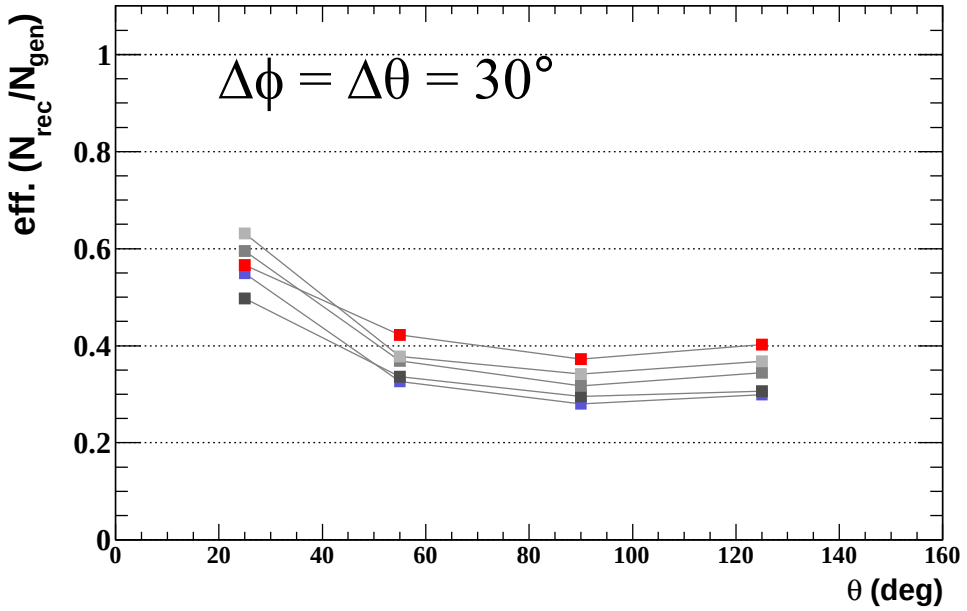


Reconstruction efficiency

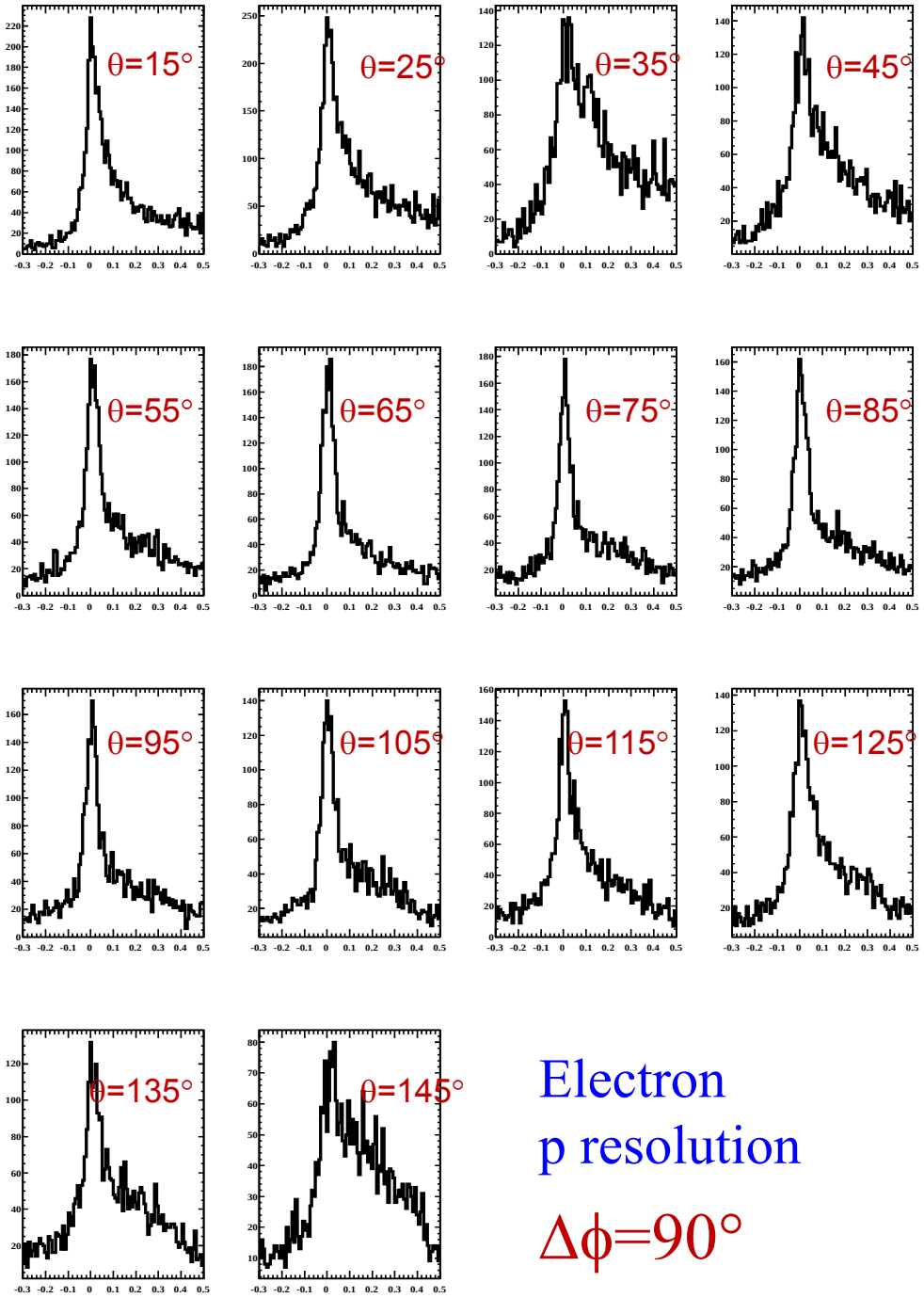
Test with
same binning : $\Delta\phi = \Delta\theta$





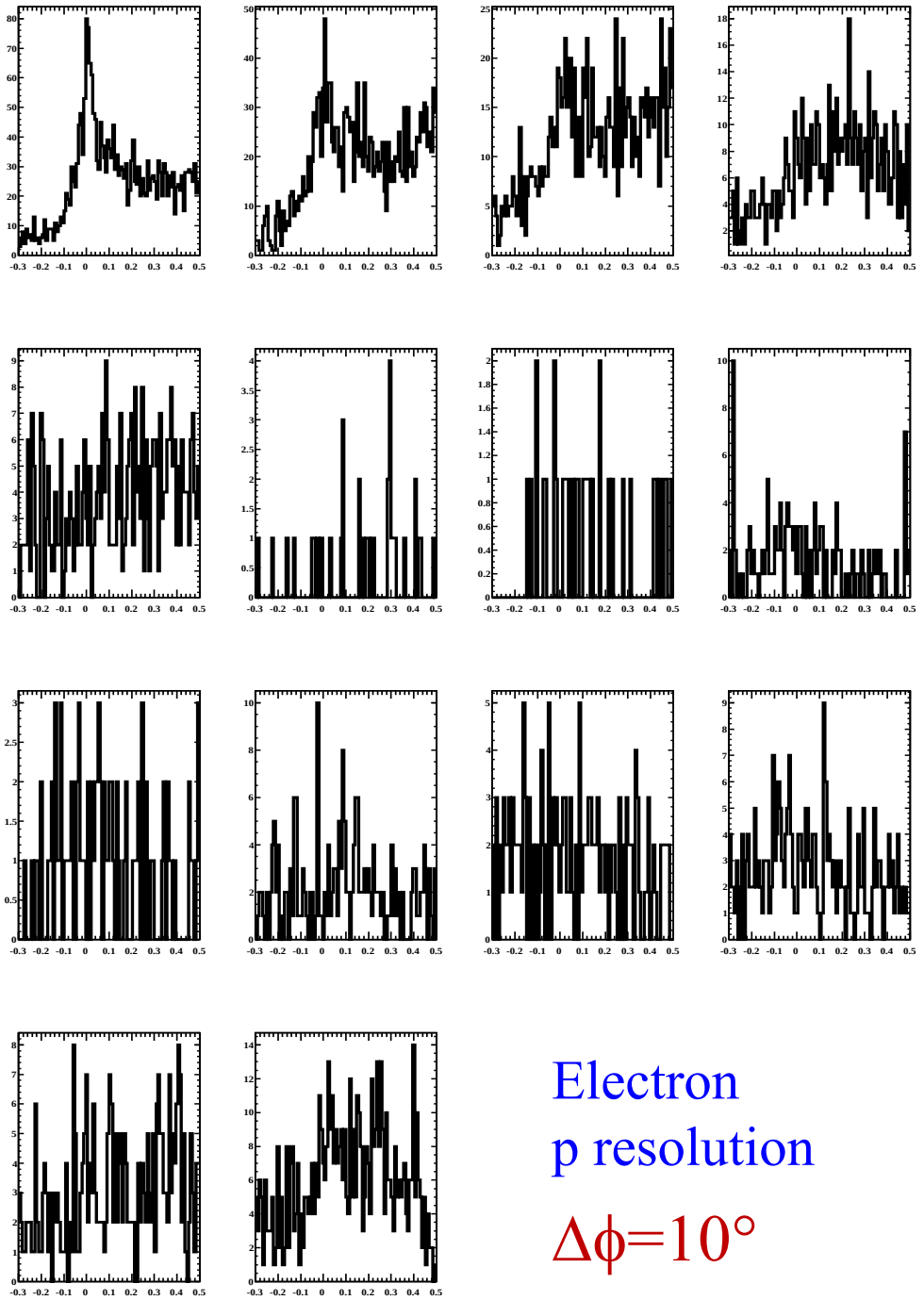


Residual distribution of mom.



Electron
p resolution

$\Delta\phi=90°$



Electron
p resolution

$\Delta\phi=10°$

Comparison of θ resolution

θ resolution for high multiplicity